Multi-round Master-Worker Computing: A Repeated Game Approach

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Computational Tasks

- Increasing demand for processing complex computational tasks
 - One-processor machines have limited computational resources
 - Powerful parallel machines (supercomputers) are expensive and are not globally available
- Internet emerges as a viable platform for supercomputing
 - Grid and Cloud computing
 - > e.g., EGEE Grid, TERA Grid, Amazon's EC2
 - Volunteer Master-Worker computing: @home projects
 - > e.g., SETI@home, AIDS@home, Folding@home, PrimeNet
 - Crowd computing
 - > e.g., Amazon's Mechanical Turk (human-based computing)



SETI@home by the numbers

- As retrieved in September 2016
 - 138,473 active CPUs (out of a total of 1.6 million) in
 234 countries
 - □ 747.7 TFLOPs

Comparable processing power with top Supercomputers

@ a fraction of the cost!

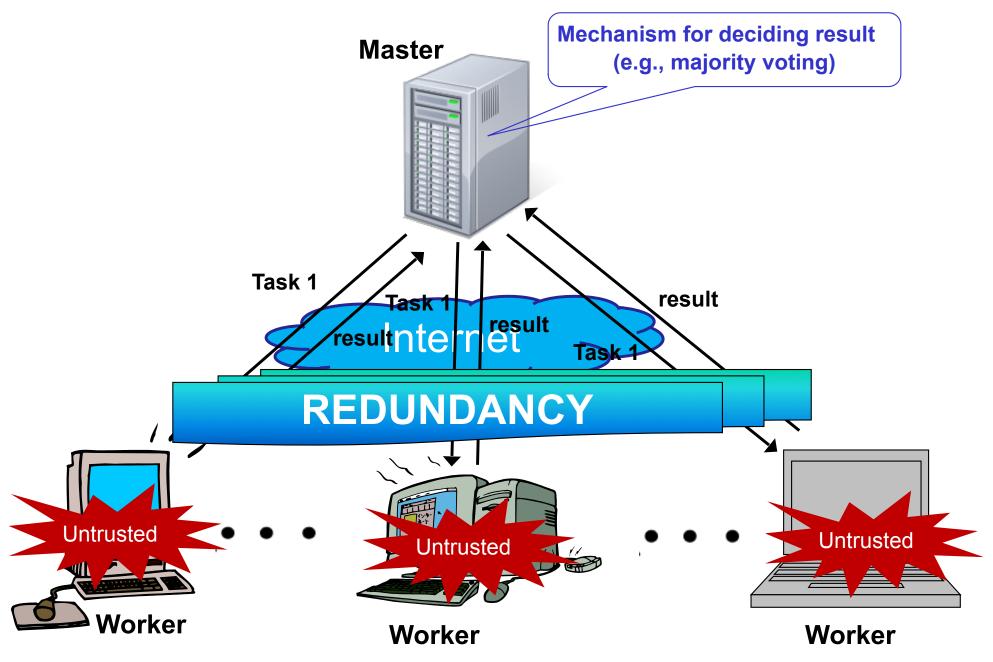
Globally available!

Great potential limited by untrustworthy entities

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SETI-like Master-Worker Computing





Type of Workers

- Classical distributed computing: pre-defined behavior
 - Malicious workers: always return a fabricated incorrect result
 - Altruistic workers: always compute and return a correct result
 Voting protocols are designed (majority rules)

[Sarmenta 02, FGLS 06/12, KRS 06/15, DKS 13, DKRS 13/15]

- Game-theoretic: workers act upon their best interest
 - Rational workers:i.e., they act selfishly aiming to maximize their own benefit [Shneidman Parkes 03]
 - Incentives are used to induce a desired behavior: be honest [YLR 05, FGM 08, CFGMS 13, FGMP 15]
- A combination of the two approaches to cope with the coexistence of all three type of workers

[FGM 10, CFGMS 13, CFGM 14, CFGM 16]

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General Task Computing Scheme

- Master assigns a task to n workers
- Workers:
 - Decide whether to cheat or not
 - Malicious/Altruistic: always return incorrect/correct result
 - \blacksquare Rational: Decide to cheat with probability p_C
- Master collects responses and verifies answers with probability $p_{\it V}$
 - If master verifies: Rewards honest workers & penalizes cheaters
 - Otherwise:
 - ➤ Accepts response returned by majority
 - >Rewards those in the majority

Rewards/Punishments

$WP_{\mathcal{C}}$	worker's penalty for being caught cheating	
$WC_{\mathcal{T}}$	worker's cost for computing the task	
$WB_{\mathcal{A}}$	worker's benefit from master's acceptance	
$MP_{\mathcal{W}}$	master's penalty for accepting a wrong answer	
$MC_{\mathcal{A}}$	master's cost for accepting the worker's answer	
$\mathit{MC}_\mathcal{V}$	$IC_{\mathcal{V}}$ master's cost for auditing worker's answers	
$MB_{\mathcal{R}}$	$\mathcal{B}_{\mathcal{R}}$ master's benefit from accepting the right answer	

Extracted by Empirical results on SETI-like applications (BOINC, emBOINC, einstein@home,...)

One-shot Mechanism

- Model the decisions (cheat or not / verify or not) as a game between the master and the workers
- Technical approach: Compute the conditions on the parameters for Nash Equilibria
 - \Box Compute $p_{_{V}}$ s.t. master obtains correct result at low cost
 - \Box Workers' benefit is maximized for $p_C = 0$
- Tradeoff: Probability of correct result vs cost
- Dealing with many tasks
 - □ Repeat the one-round mechanism for each different task
 - A decent solution but
 - Does not take advantage of knowledge gained in previous rounds [Christoforou Pernandez G Mosteiro 08, Fernandez G Mosteiro Pareja 15]

Multi-round Mechanism

- Evolutionary Dynamics: p_V and p_C are updated after each round
- Technical approach: Use Reinforcement learning to update function of worker profit aspiration and master's tolerance to loss.
 - Eventual correctness: After some rounds, the master obtains the correct task in every round, with minimal verification, while keeping the workers satisfied
 - \Box Workers eventually have $p_C = 0$ in every round
- Tradeoff: Time to correctness vs cost

[Christoforou Fernandez **G** Mosteiro Sanchez 13]

Can a different multi-round approach be use a more effective repeated interaction master and the (rational) works

Our Approach: Repeated Games

- We model the repeated interactions between the master and the rational workers as a repeated game
 - It captures the effect of long-term interaction
 - The master obtains the correct task results (whp) from the very first round
- In a round, if workers detect that one worker (or more) has deviated from the agreed strategic choice
 - Change their strategy into the one that maximizes the negative effect they have on the utility of the deviated worker
 - Might negatively affect their own utility, but in long-running interactions this punishment threat prevents workers from deviating
 [Osborne Rubinstein 94]

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Contributions

- First work to apply the repeated games framework to the masterworker paradigm.
- Devised and analysed two mechanisms
 - □ First mechanism: Workers' decision is deterministic
 - ➤ To detect deviations, the master only provides the number of different answers at the end of each round
 - Second mechanism: Workers' decision is probabilistic
 - ➤To detect deviations the master provides how many of each answer has received at the end of each round
 - We prove the conditions and the cost for the master to obtain the correct task result in every round (whp)
- Experimental evaluation via simulation
 - Superiority over previous approaches

Proportional Punishment

- To implement peer-punishment we use proportional punishment
 - The penalty for cheaters is proportional to the number of cheaters
- Let F be the set of workers caught cheating in a round that the master verifies. Then

penalty for each worker in F is $WP_C \cdot |F|$

Deterministic Decision Mechanism - Master

1 while true do				
2	send a computational task to all the workers in W			
3	upon receiving all answers do			
4	with probability $p_{\mathcal{V}}$, verify the answers			
5	if the answers were not verified then accept the			
	majority			
6	reward/penalize accordingly			
7	send to the workers the number of different answers			
	received			

Deterministic Decision Mechanism - Workers

```
1 strategy \leftarrow \overline{\mathcal{C}}
2 while true do
        upon receiving a task do
            if strategy = \overline{C} then
                 compute the task and send the result to the
                 master
            else
                 do not compute and send a bogus result to the
                 master
            upon receiving from the master the number of
8
            different answers do
                 if number of different answers > 1 then
                      strategy \leftarrow C
10
```

Main Result

For

$$WC_T/(WB_A + WP_C(n/2) < p_V < (WB_A + WC_T)/(2WB_A + nWP_C)$$

 $WB_A > WC_T$ and $WP_C > WC_T$

the mechanism guarantees that the master obtains the correct task result in every round

Utilities for worker i and master in every round

$$U_i = WB_A - WC_T$$
$$U_M = MB_R - nMC_A - p_V MC_V$$

Probabilistic Decision Mechanism

- Much more involved
 - Actually probability used by each worker cannot be inferred accurately from one round
 - Instead, it is possible to provide stochastic guarantees, either from many computations of one worker, or one computation by many workers.
- Need the master to announce how many of each answer has received for workers to detect deviations based on the probability of such outcome

Probabilistic Decision Mechanism - Master

```
send a computational task to all the workers in W

upon receiving all answers do

with probability pv, verify the answers

if the answers were not verified then accept the majority
reward/penalize accordingly
send to the workers a list of pairs (answer, count)
```

Mixed Probabilistic Decision - Workers

```
1 maxrounds \leftarrow |3np_{\mathcal{C}} \ln(1/\varepsilon)|
                                                        // Punishment
   decisions only for \delta \geq 1/np_{\mathcal{C}} (cf. Lemma 3).
2 counts ← empty queue of integers // counts[i] is the
   (i+1)th item, for i=0,1,2,...
3 for each round = 1, 2, \ldots do
        upon receiving a task do
              // computation phase
             \mathsf{cheat} \leftarrow \begin{cases} true, & \text{with probability } p_{\mathcal{C}} \\ false, & \text{with probability } 1 - p_{\mathcal{C}} \end{cases}
5
             if cheat = false then result \leftarrow task result
6
             computed
             else result ← bogus result
7
             send result to the master
8
             // punishment phase
             upon receiving from the master a list of pairs
9
              (answer, count) do
                  // update # of cheaters per round
                  verify all answers
10
                  #incorrect ← number of incorrect answers
11
                  enqueue #incorrect to counts
12
                  if size of counts > maxrounds then dequeue
13
                  from counts
                   // punishment decision
                  cheaters<sub>min</sub> \leftarrow n
14
                  cheaters<sub>max</sub> \leftarrow 0
15
                  R \leftarrow \min\{\text{maxrounds}, \text{round}\}\
16
                  for r = 1 to R do
17
                       if counts[R-r] < cheaters<sub>min</sub> then
18
                       cheaters_{min} \leftarrow counts[R-r]
                       if counts[R-r] > \text{cheaters}_{\max} then
19
                       cheaters_{max} \leftarrow counts[R-r]
                       \delta \leftarrow \sqrt{3 \ln(1/\varepsilon)/(rnp_c)}
20
                        if \delta < 1 then
21
                             if cheaters<sub>min</sub> \geq \lceil (1+\delta)np_{\mathcal{C}} \rceil or
22
                             cheaters<sub>max</sub> \leq |(1 - \delta)np_{\mathcal{C}}| then
                             // Lemma 3
                                  p_{\mathcal{C}} \leftarrow 1
                                                             // Lemma 4
23
```

Main Result

For

$$0 < p_C < 1/(2(1+\xi))$$
, for some $0 < \xi \le 1$

$$p_V > 2WB_A/(2WB_A + nWP_C), \ p_V \ge WC_T/WB_A$$
, and

$$p_V \ge \frac{e^{-n\xi^2/(6(1+\xi))}-\varphi}{e^{-n\xi^2/6(1+\xi))}-p_C^n}$$
, for some $\varphi > 0$

the mechanism guarantees that the master obtains the correct result in every round with probability at least

$$1-\varphi$$

Simulations

- Compare three mechanisms
 - Ours (mixed equilibria) RG
 - Repeated One-Shot mechanism ROS
 - Evolutionary Dynamics mechanism ED
- Choice of parameters values
 - Used in prior works which are consistent with statistics obtained in BOINC projects (SETI@home)
 - Satisfy constraints obtained by their theoretical analyses
 - Make the comparison of the three mechanisms fair
- Run for 200 rounds with up to n/2 deviators

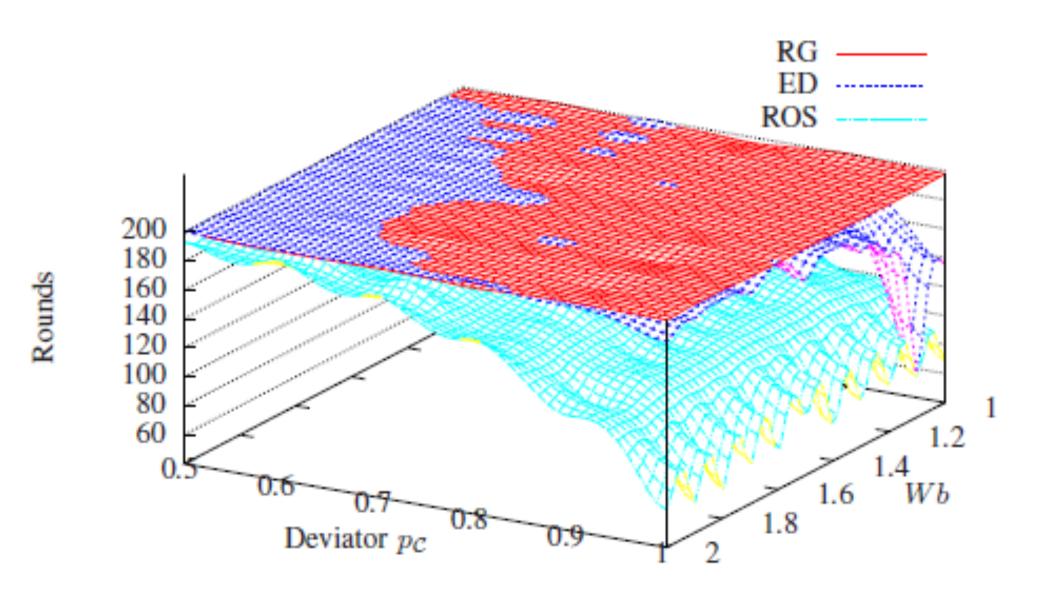
Simulation Parameters

	RG [this paper]	ROS [20]	ED [13]
n	$\{9, 27, 81\}$	$\{9, 27, 81\}$	{9, 27, 81}
$WB_{\mathcal{A}}$	$\{1, 1.1, \dots, 2\}$	$\{1, 1.1, \dots, 2\}$	$\{1, 1.1, \dots, 2\}$
$WP_{\mathcal{C}}$	$\frac{WB_{\mathcal{A}}}{np_{\mathcal{C}}}$ if $ F < n$, 0 if $ F = n$	$WB_{\mathcal{A}}$	$WB_{\mathcal{A}}$
$WC_{\mathcal{T}}$	0.1	0.1	0.1
$p_{\mathcal{C}}$	$\lfloor n/2 \rfloor : 0.1,$	$\lfloor n/2 \rfloor$:0,	$\lfloor n/2 \rfloor$:0,
	$\lceil n/2 \rceil$:	$\lceil n/2 \rceil$:	$\lceil n/2 \rceil$:
	$\{0.5, 0.6, \dots, 1\}$	$\{0.5, 0.6, \dots, 1\}$	$\{0.5, 0.6, \dots, 1\}$
pv	0.17	$\frac{WB_{A}+0.1}{3WB_{A}}+0.01$	initially: 0.5,
			min: 0.01
$MC_{\mathcal{A}}$	$WB_{\mathcal{A}}$	$WB_{\mathcal{A}}$	$WB_{\mathcal{A}}$
$MC_{\mathcal{V}}$	$nWB_{\mathcal{A}}$	$nWB_{\mathcal{A}}$	$nWB_{\mathcal{A}}$
$MP_{\mathcal{W}}$	$nWB_{\mathcal{A}}$	$nWB_{\mathcal{A}}$	$nWB_{\mathcal{A}}$
$MB_{\mathcal{R}}$	$nWB_{\mathcal{A}}$	$nWB_{\mathcal{A}}$	$nWB_{\mathcal{A}}$
	$\varepsilon=0.01$	_	$\tau = 0.5$,
other			$a_w = 0.1,$
			$\alpha_m =$
			$\alpha_w = 0.01$

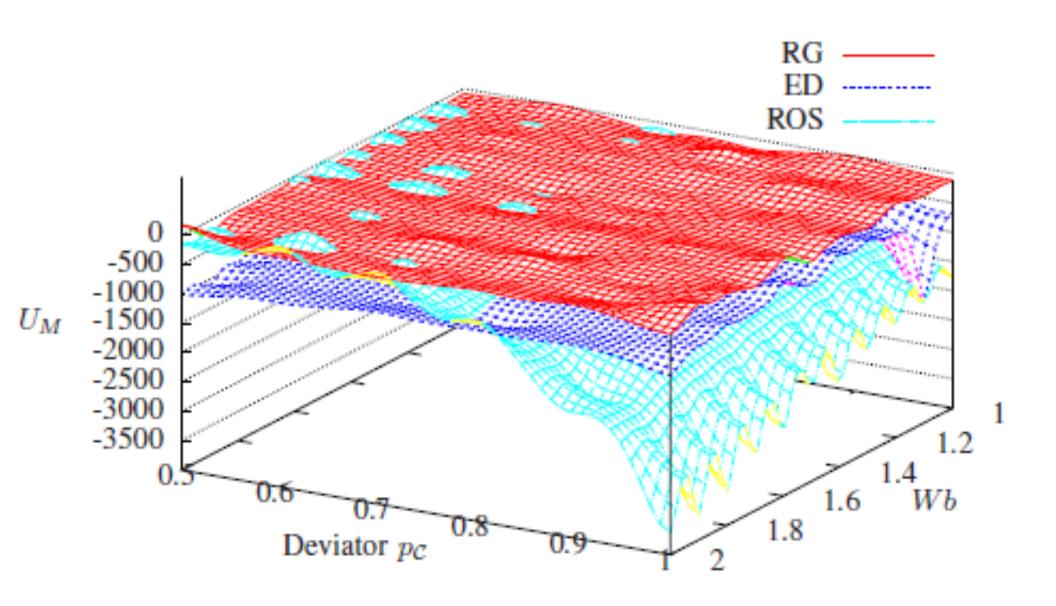
Overall Outcome

- In the presence of up to n/2 deviators, our mechanism
 - Performs similarly or better than the evolutionary dynamics approach
 - Both mechanisms perform significantly better than the repeated one-shot mechanism

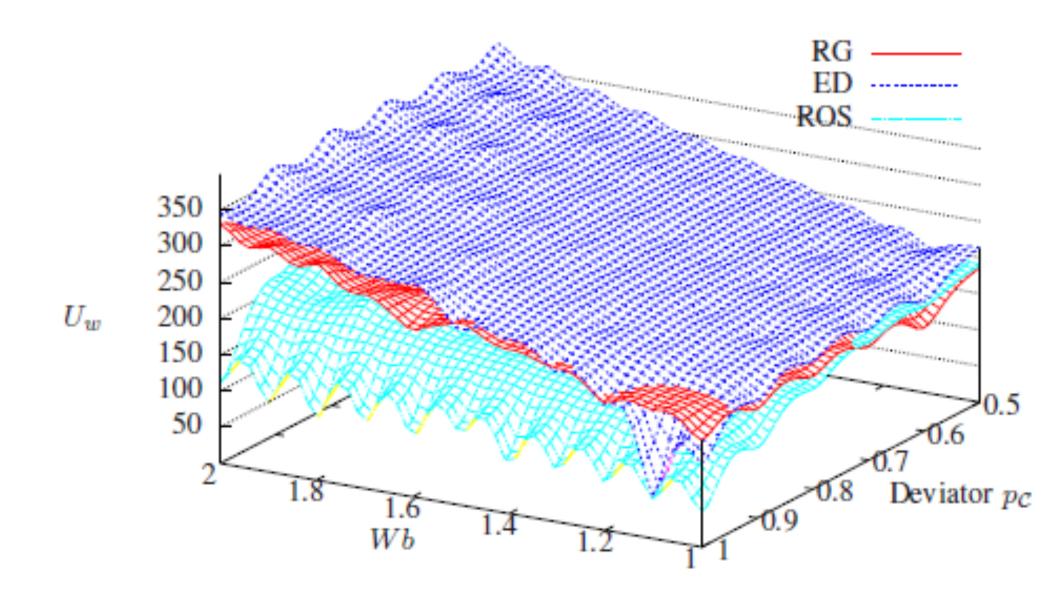
Number of "Correct" Rounds



Cumulative Master Utility



Cumulative Worker Utility



Ongoing & Future Work

- Extend the mechanism to also cope with malicious workers
 - ☐ Use statistical information on the different worker types

 [Christoforou Fernandez **G** Mosteiro 14]
 - Challenge: Analysis significantly be revised
- Consider worker collusions [Fernandez G Mosteiro Pareja 15]
 - Challenge: The master must cope with collusions without knowing which specific workers are colluding.
- Consider pool of workers to choose from
 - Tolerate workers not responding (e.g., abstaining)
 - □ Use reputation schemes [Christoforou Fernandez **G** Mosteiro 16]

KÖSZÖNÖM!

Contributions (1)

- First work to apply the repeated games framework to the master-worker paradigm.
- Demonstrate the benefit and promise of this approach
- Under certain conditions
 - Master obtains correct results (whp) from the first round
 - It does so with lower cost than previous approaches

Contributions (2)

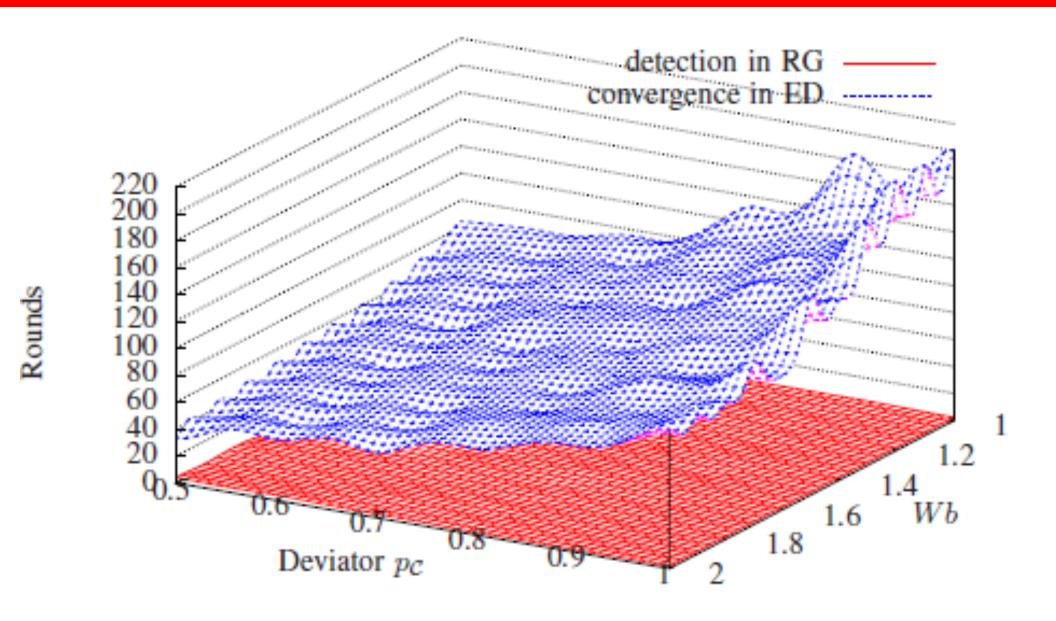
- Devised two mechanisms
 - First mechanism (pure equilibria strategies)
 - > workers' decision is deterministic
 - To detect deviations, the master only provides the number of different answers at the end of each round
 - Second mechanism (mixed equilibria strategies)
 - workers' decision is probabilistic
 - > To detect deviations more information is needed
 - Which answers the master received
 - And how many of each

We prove the conditions and the cost under which the Master obtains the correct task result in every round (whp)

Contributions (3)

- Experimental evaluation via simulation
 - Provides insights on the effectiveness of the mechanisms on various parameter values
 - Comparison with the previous approaches (repeated oneshot and evolutionary dynamics)
- In the presence of up to n/2 deviators, our mechanism
 - Performs similarly or better than the evolutionary dynamics approach
 - Both mechanisms perform significantly better than the repeated one-shot mechanism

Rounds to Deviation Detection (RG) / Convergence (ED)





Top Three Supercomputers (June 2016)

- Sunway TaihuLight, National Supercomputer Center in Wuxi, China
 - □ 40,960 Sunway SW26010 260-core 1.45 GHz: 10,649, 600 cores
 - □ 125,436 TFLOPS (125.4 PetaFLOPS)
- Tianhe-2 (MilkyWay-2), National Supercomputer Center in Guangzhou, China
 - □ 260,000 Intel Xeon E5-2692 12-core 2.200GHz: 3,120,000 cores
 - □ 54,902 TFLOPS (54.9 PetaFLOPS)
- Titan Cray XK7, Cray Inc, USA
 - □ 35,040 Opteron 6274 16-core 2.200GHz: 560,640 cores
 - □ 27,112 TFLOPS (27.1 PetaFLOPS)



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